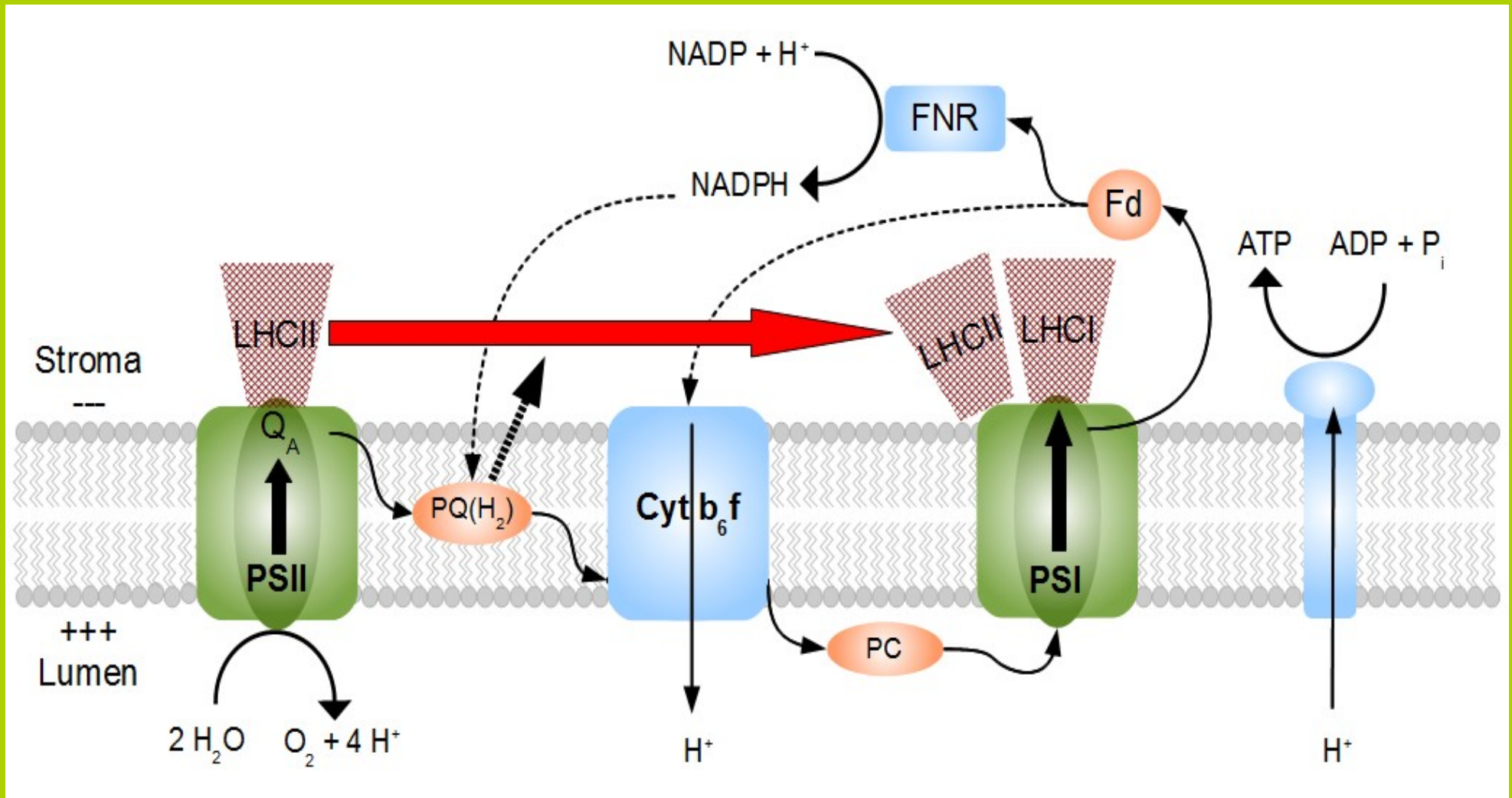


# Analysis of PSII antenna size and heterogeneity in state I and state II in *Chlamydomonas reinhardtii*

Thomas de Marchin,  
Laboratory of bioenergetics (F.Franck)  
Ulg, Belgium

# State transitions



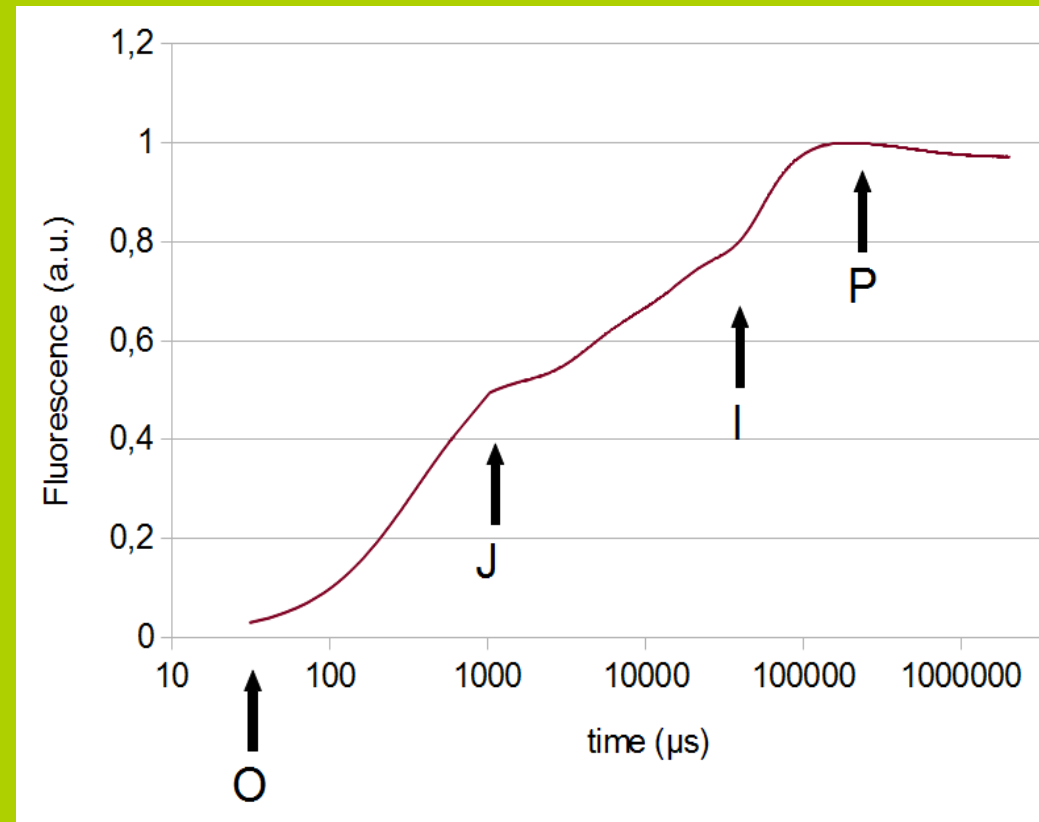
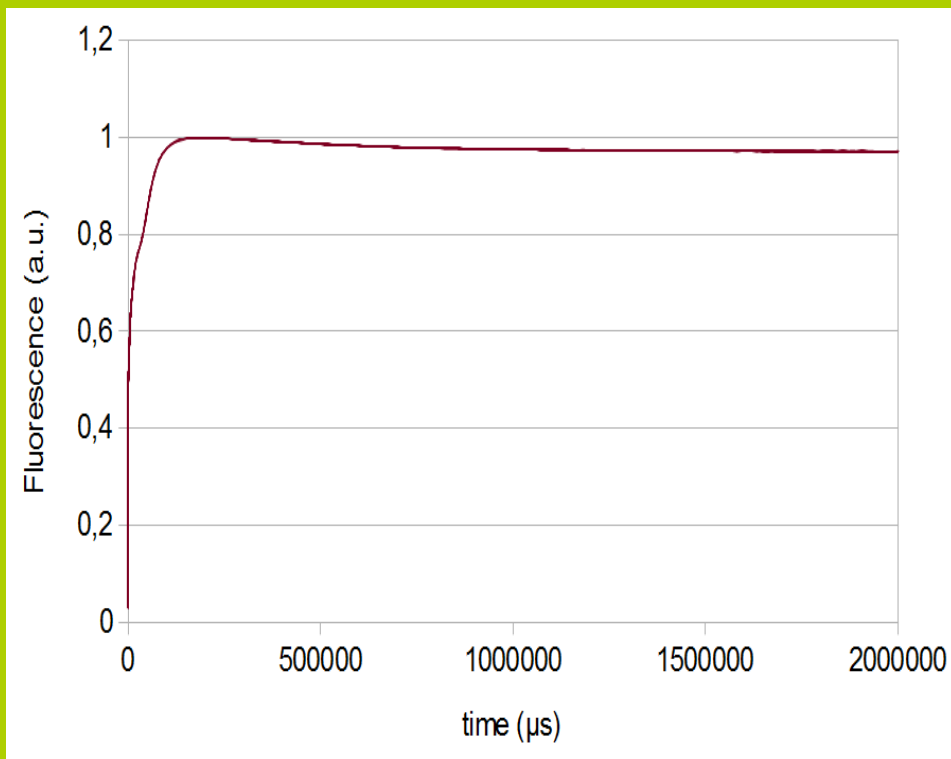
- State transition : migration (max 80%) of antenna from PSII to PSI
- Promotes cyclic electron transport

# Fluorescence rise

- Purpose of this work : analyse PSII antenna size and heterogeneity in state I or in state II.
- Cardol et al.(2009) : Comparing antenna size of different strains by fluorescence rise experiments.



Rising of fluorescence from  $F_0$  to  $F_m$  corresponding to the reduction of  $Q_A$  in the reaction center of PSII.

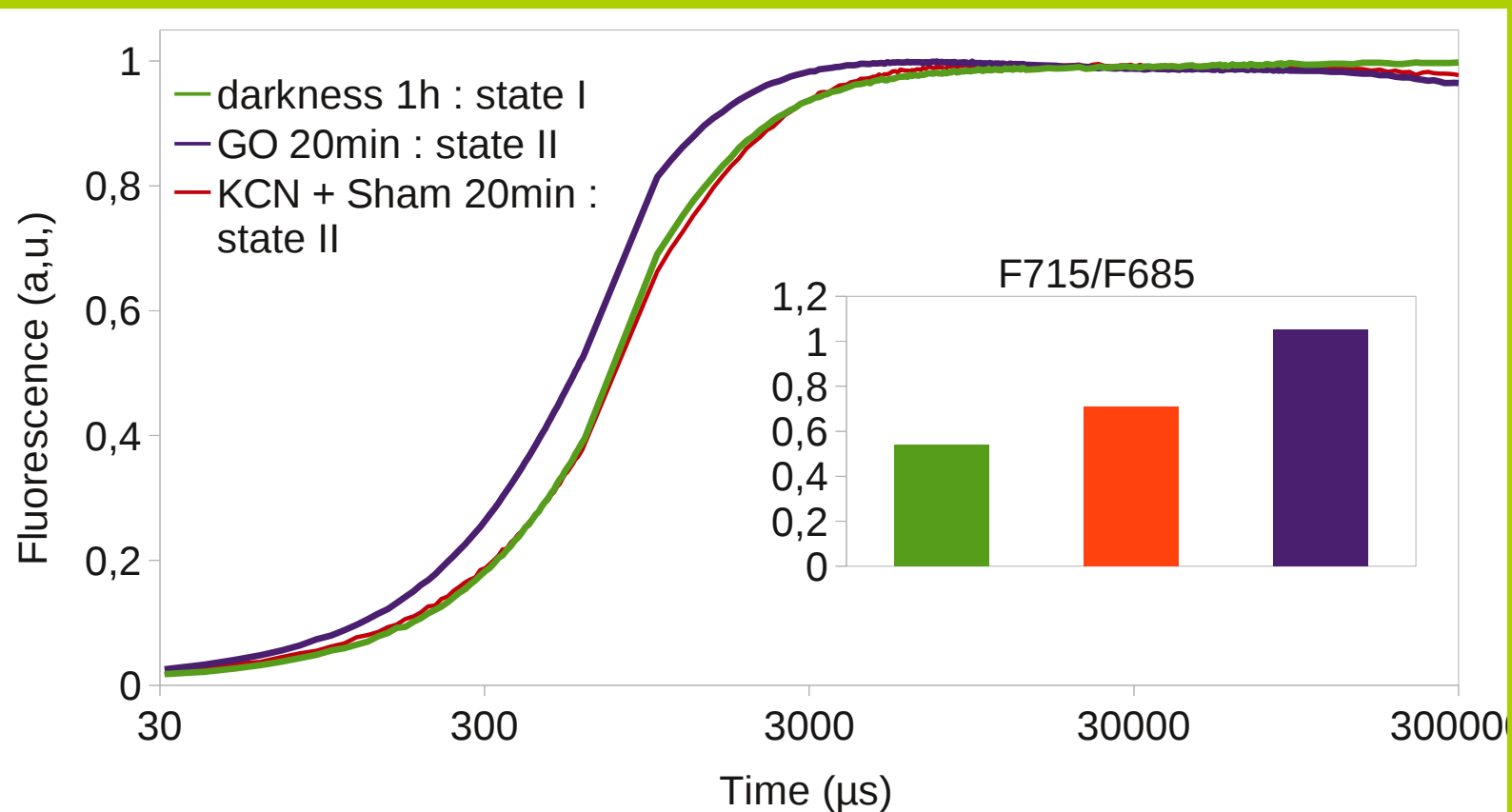


Principle of the experiment : Transition from state I to state II → the speed of rising should decrease because part of LHCII migrate from PSII to PSI.

# Fluorescence rise : the experiment

- Simplification : DCMU is added before the measure → only photochemical events.

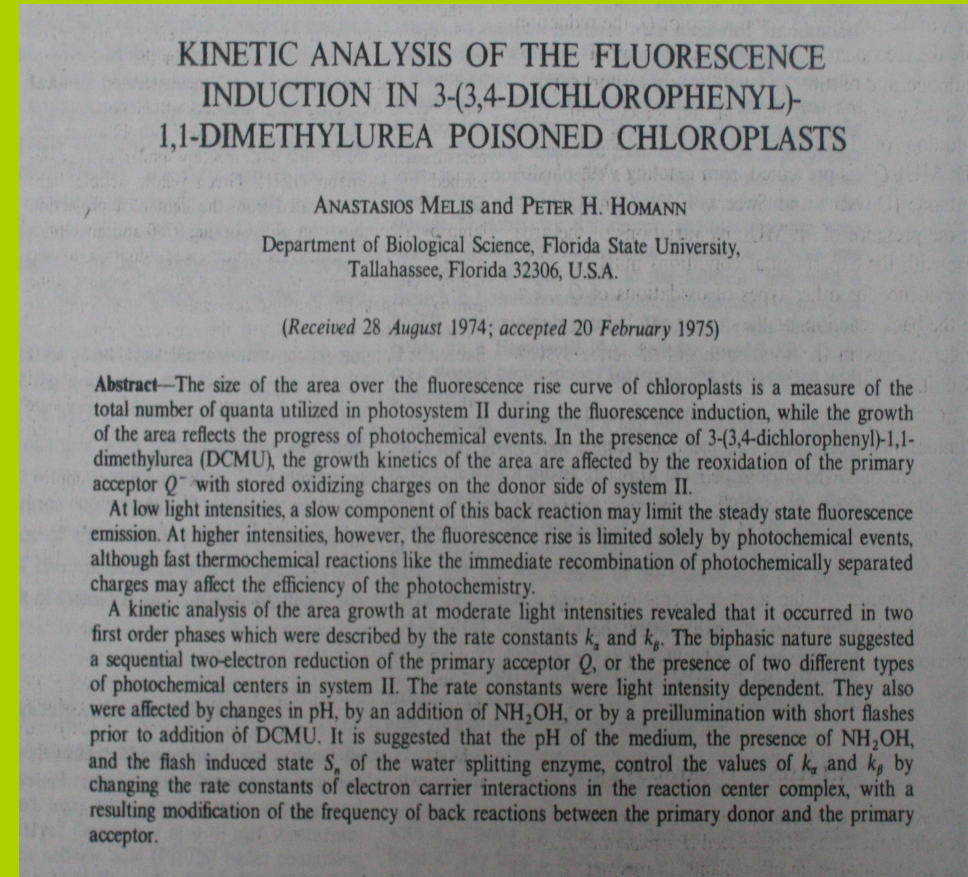
Darkness 1 hour	KCN + SHAM or Glucose oxydase in darkness
Oxydation of plastoquinones ↓ Transition to state I	Impairment of mitochondrial respiration → reduction of plastoquinones ↓ Transition to state II





# OK but what else?

- What sort of numeric informations can we calculate from such curves ?



2 populations of PSII : PSII $\alpha$  and PSII $\beta$



# PSII heterogeneity

- Lavergne et al.(2004) :

	PSII $\alpha$	PSII $\beta$
Proportion	80-90%	10-20%
Antenna		+ - 1/3 of PSII $\alpha$ (no LHCII)
Region of the thylakoid membrane	appressed	non appressed
Multimer?	dimer	monomer
Connectivity (p)	0,5 – 0,7	0
Fluorescence rise	sigmoidal	exponential

- Connectivity : quantify the probability of energy transfer between closed PSII to an open PSII
- Several authors noticed a third component  $\gamma$ ... Is it a real component or a pure mathematical object ?

# PSII heterogeneity and state transition

- In this case : determination of PSII heterogeneity in state I or in state II
- However, the method of Melis and Homann is approximative :

an error of 0,6% in  $F_m$  → 53% of error in amplitude and rate of different photosystems

- non linear regression algorithm with equations from Lazár et al.(2001).

$$F(t) = \frac{\alpha \times (1 - p) \times PSII \alpha_{open} \times (1 - e^{-K \alpha \times t})}{1 - p \times PSII \alpha_{open} \times (1 - e^{-K \alpha \times t})} + \beta \times PSII \beta_{open} \times (1 - e^{-K \beta \times t})$$



sigmoid



exponential

# PSII heterogeneity : non linear regression

```

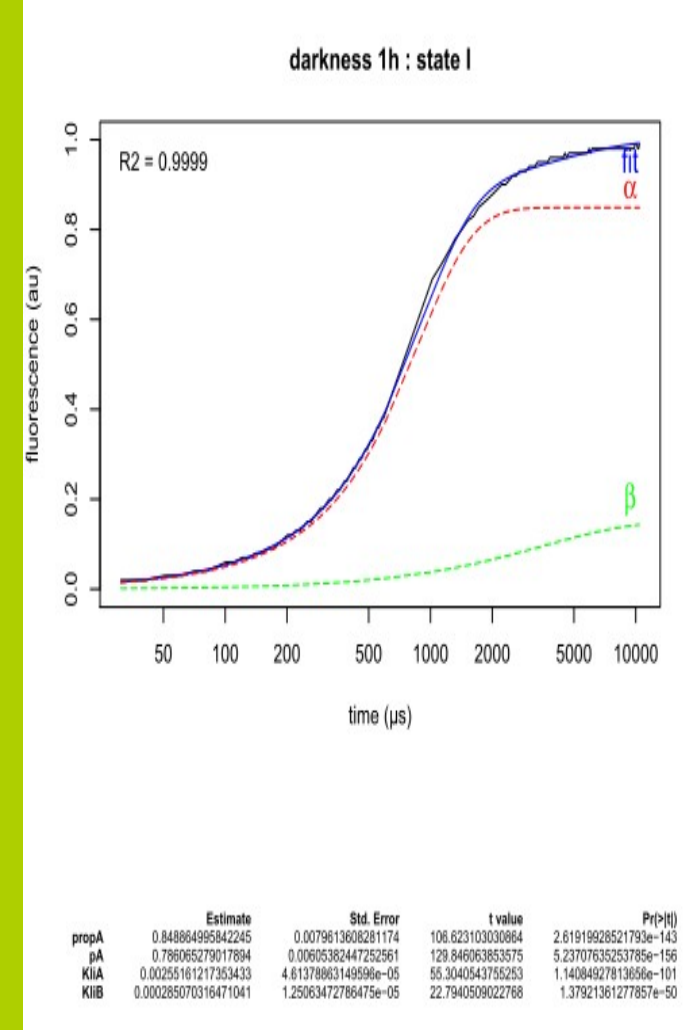
1 15-12-10
2 darkness 1h : state I 31 0,02
3 darkness 1h : state I 41 0,02
4 darkness 1h : state I 51 0,03
5 darkness 1h : state I 61 0,03
6 darkness 1h : state I 71 0,04
7 darkness 1h : state I 81 0,04
8 darkness 1h : state I 91 0,05
9 darkness 1h : state I 101 0,06
10 darkness 1h : state I 111 0,06
11 darkness 1h : state I 121 0,07
12 darkness 1h : state I 131 0,07
13 darkness 1h : state I 141 0,08
14 darkness 1h : state I 151 0,08
15 darkness 1h : state I 161 0,09
16 darkness 1h : state I 171 0,09
17 darkness 1h : state I 181 0,1
18 darkness 1h : state I 191 0,11
19 darkness 1h : state I 201 0,12
20 darkness 1h : state I 211 0,12
21 darkness 1h : state I 221 0,13
22 darkness 1h : state I 231 0,13
23 darkness 1h : state I 241 0,14
24 darkness 1h : state I 251 0,15
25 darkness 1h : state I 261 0,15
26 darkness 1h : state I 271 0,16
27 darkness 1h : state I 281 0,17
28 darkness 1h : state I 291 0,18
29 darkness 1h : state I 301 0,18
30 darkness 1h : state I 311 0,19
31 darkness 1h : state I 321 0,2
32 darkness 1h : state I 331 0,2
33 darkness 1h : state I 341 0,21
34 darkness 1h : state I 351 0,22
35 darkness 1h : state I 361 0,22

```

```

1 library(gplots)
2 library(nlme)
3
4 ### formule
5
6 formule <- f ~ ((propA*((1-pA)*1*(1-exp
7
8 ### contraintes
9
10 debut <- c(propA=0.5, pA=0.5, KliA=0.00
11 limiteinf <- c(propA=0.1, pA=0, KliA=0.
12 limitesup <- c(propA=1, pA=1, KliA=1, K
13
14 ### import des données
15
16 titre <- na.omit(scan("data.txt", sep="
17 import <- read.table("data.txt", sep="\
18 names(import) <- c("exper", "t", "f")
19
20 ### détermination du nombre de manip
21
22 nomexper <- c("a")
23 conditions <- c(NULL)
24
25 for(i in 1:nrow(import)) {
26
27     tempnomexper <- import[i,1]
28
29     if(tempnomexper != nomexper){
30         conditions <- c(conditions, as.c
31         nomexper <- tempnomexper
32     }
33
34 }

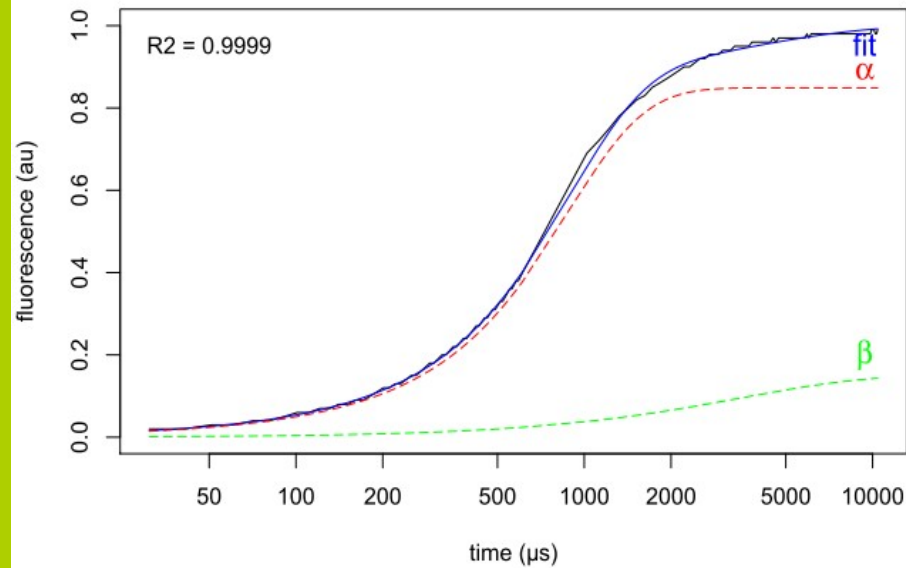
```



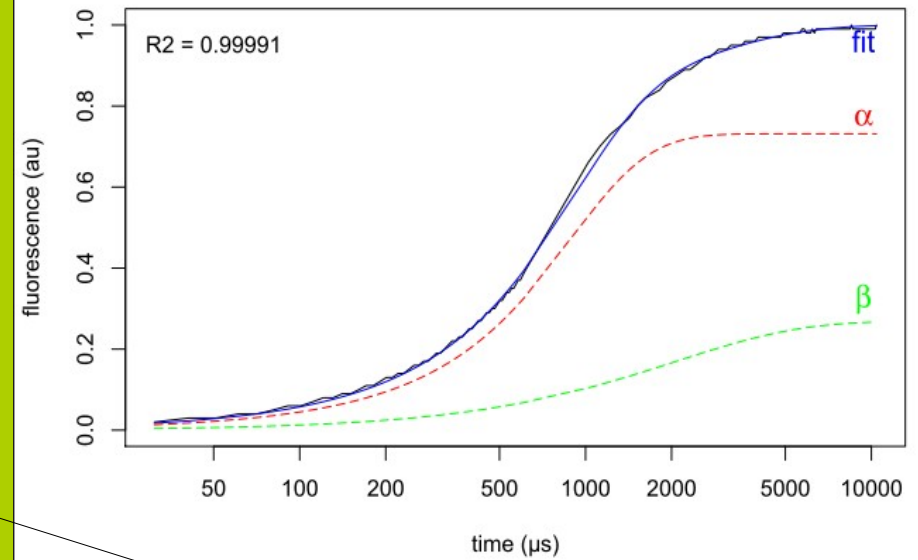


# PSII heterogeneity : non linear regression

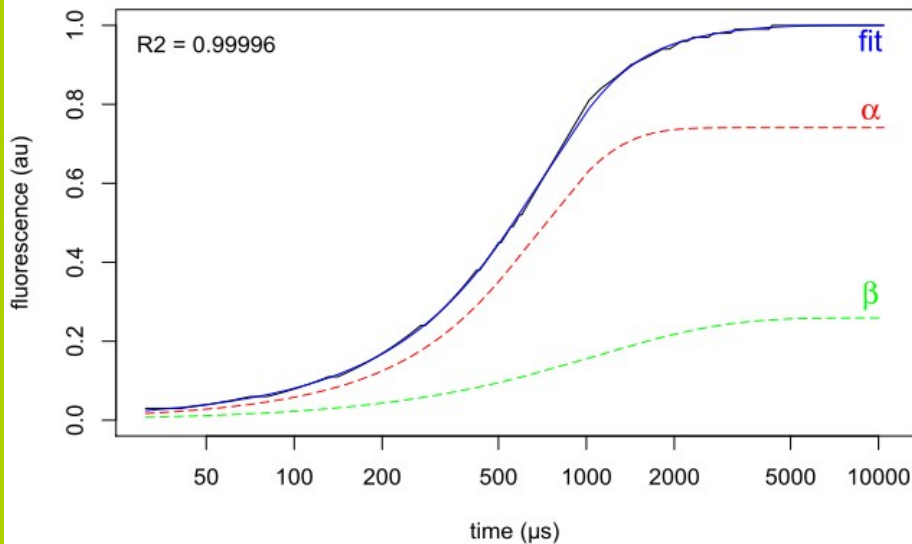
darkness 1h : state I



KCN + SHAM 20min : state II



GO 20min : state II



% $\alpha$	$84 \pm 0,7$	$73 \pm 2$	$74 \pm 4$
% $\beta$	16	27	26
P $\alpha$	$0,78 \pm 0,01$	$0,76 \pm 0,01$	$0,77 \pm 0,01$
K $\alpha$	$2,55 \cdot 10^{-3} \pm 4 \cdot 10^{-5}$	$2,4 \cdot 10^{-3} \pm 7 \cdot 10^{-5}$	$3,2 \cdot 10^{-3} \pm 1 \cdot 10^{-4}$
K $\beta$	$2,8 \cdot 10^{-4} \pm 1 \cdot 10^{-5}$	$4,8 \cdot 10^{-4} \pm 2 \cdot 10^{-5}$	$9,1 \cdot 10^{-4} \pm 6 \cdot 10^{-5}$

# Conclusion

- I. State II : rate of fluorescence rising increase → opposite effect expected
- II. Fit :
  - state I → connectivity of PSII $\alpha$  higher than reported in older literature
  - state II →  $\pm 10\%$  of PSII $\alpha$  converted in PSII $\beta$



Preliminary conclusion : PSII $\beta$  more abundant and more rapid in state II

- In the future :
- add  $\gamma$  photosystems to fitting procedure
  - follow directly the reduction of  $Q_A$  with 320nm signal

**Thanks for your attention**